$\qquad$ Date: $\qquad$

## Exponential Growth and Decay - Applications

## Exponential Models



$A=P(1-r)^{t}$
$A=$
$\qquad$
$t=$ $\qquad$
$r=$ $\qquad$

$$
1-r=
$$

$\qquad$

1. In 1990, the cost of tuition at a state university was $\$ 4300$. During the next 8 years, the tuition rose $4 \%$ each year.
a. Growth or decay? What is the $\qquad$ factor?
b. Write a model the gives the tuition y (in dollars) $\dagger$ years after 1990.
c. How much would it cost to attend college in 2000? In 2007?
d. How long it will take for tuition to reach $\$ 6000$ ?
2. A 2011 Kia Sorrento depreciates at a rate of $33.6 \%$ per year. The car was bought for $\$ 32,000$.
a. Growth of decay? What is the $\qquad$ factor?
b. Write a model the gives the value of the car y (in dollars) t years after 2011.
c. How much is the car worth now? In 2012?
d. How long will it take for the car to be worth half?

| $A=P\left(1+\frac{r}{n}\right)^{n t}$ | COMPOUND INTEREST: |  |
| :---: | :---: | :---: |
|  | Compounded: | n |
|  | Annually |  |
| $P=$ | Semi-Annually |  |
|  | Quarterly |  |
| $t=$ | Monthly |  |
|  | Weekly |  |
| $r=$ | Daily |  |
| $n=$ |  |  |

3. You invest your $\$ 1000$ graduation money. A bank is offering a $4 \%$ interest rate. Calculate how much money you have after 10 years if the bank compounds:
a. Annually
b. Semi-Annually
c. Quarterly
d. Monthly
e. Weekly
